

Kinetic Bounding Volume Hierarchies for Deformable Objects

René Weller

Clausthal University of Technology, Germany

weller@in.tu-clausthal.de

VRCIA '06, June 2006, Hong Kong



Motivation

- Bounding volume hierarchies (BVHs) are widely employed in many areas of computer science to accelerate geometric queries
 - ray-tracing
 - occlusion culling
 - collision detection

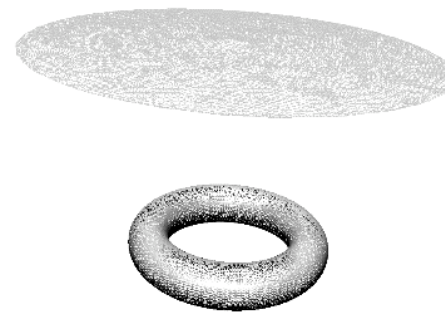


Courtesy GRIS, Tübingen



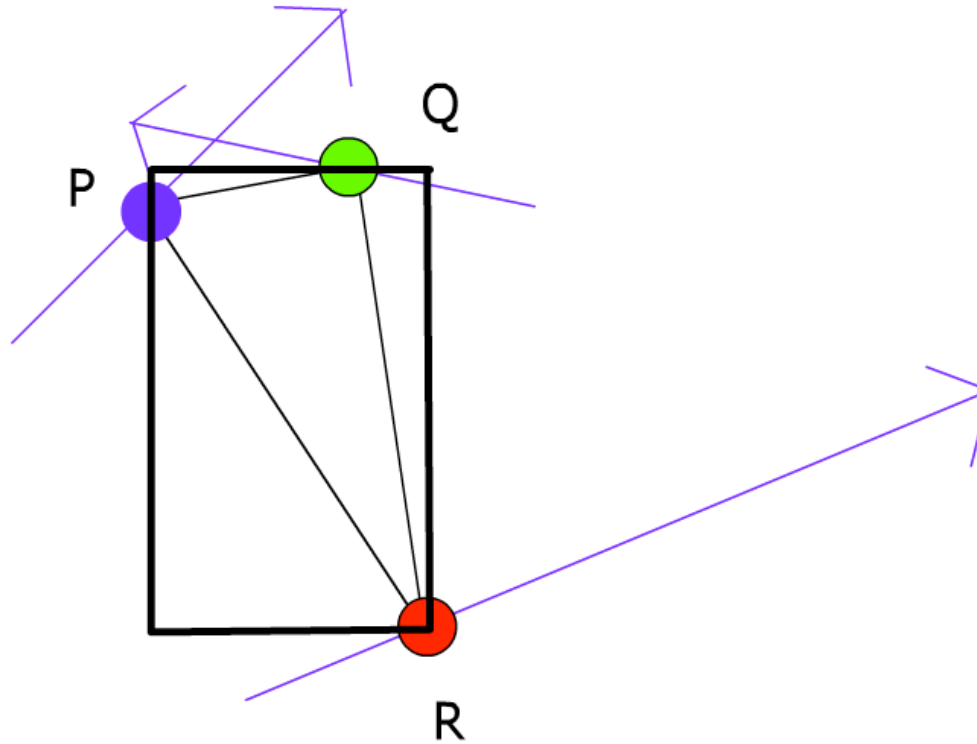
Deformable BVH

- BVHs are constructed in a pre-processing step
- The pre-processed hierarchy becomes invalid when the object deforms
 - The BVH must be rebuilt or updated after deformations





Brute Force Update of single BV



Max
x 1.0
y 0.9

Min
x 0.3
y 0.4

Frame 2



Problems

- Discrete time sampling
 - Many update operations
 - Missing changes between queries
- No adequate use of spatial and temporal coherence
- Other approaches:
 - Hybrid updates [van den Bergen, 1998]
 - Lazy updates [Mezger et al. 2003]
 - Restriction of deformation schemes [James and Pai, 2004]
 - Intrinsic collision test on the GPU [Wong and Baciú 2005]
 - Chromatic decompositions [Govindaraju et al. 2005]

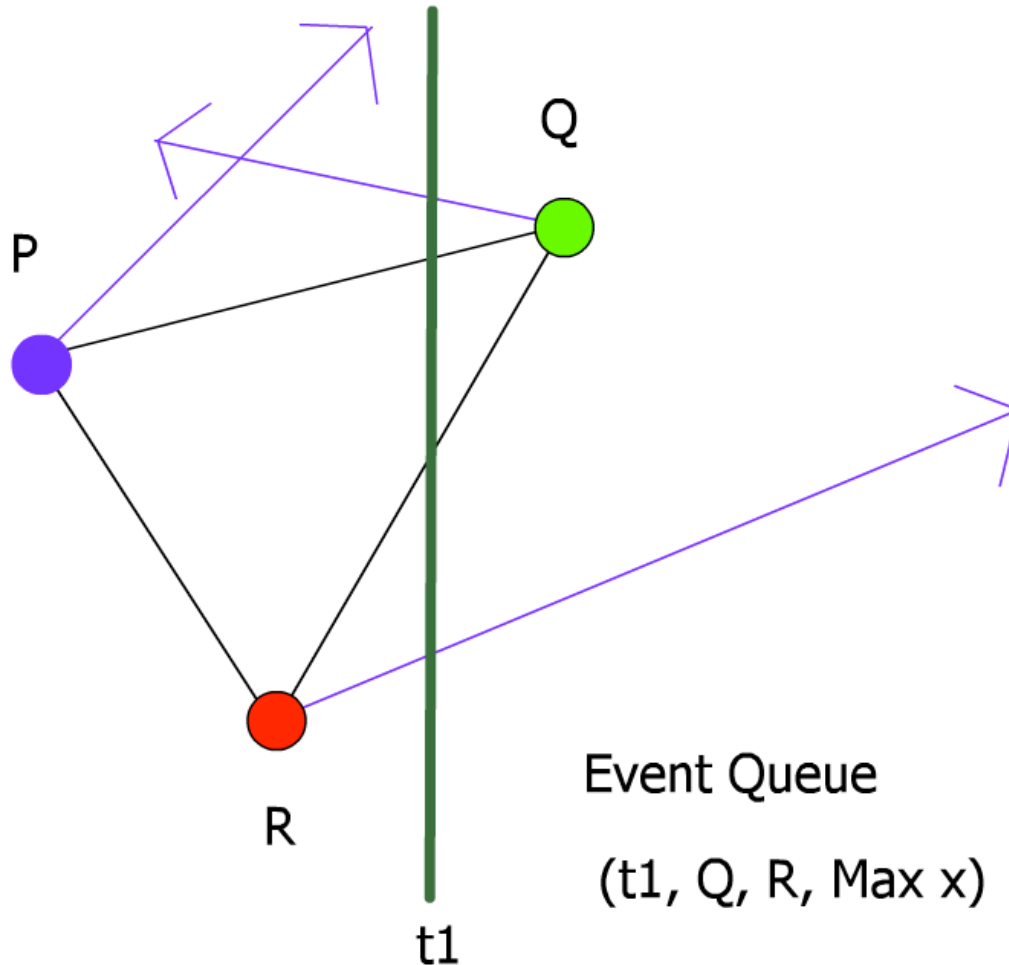


Our Approach

- Motion in the physical world is normally continuous
- Changes in the **combinatorial structure** of the BHVs occur only at discrete time points
 - We store only the combinatorial structure of the BVH and use an event based approach for updates



Kinetic Updates



	Max
x	Q
y	Q
	Min
x	P
y	R



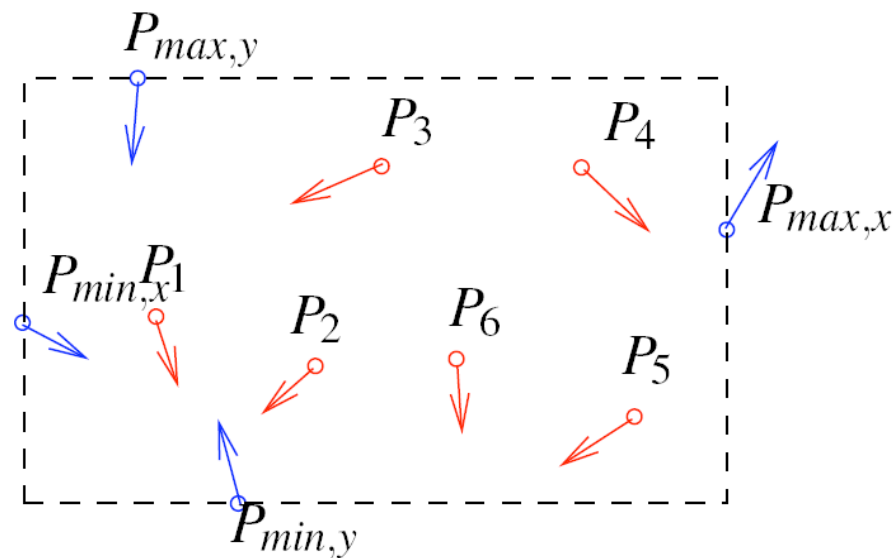
Advantages

- Fewer update operations
- Valid BVHs at every point in time
- Independent of query sampling frequency
- Can handle all kinds of objects
 - polygon soups, point clouds, and NURBS models
- Can handle insertions/deletions during run-time
- Can handle all kinds of deformations
 - Only a flightplan is required for every vertex
 - These flightplans may change during simulation



Recap: Kinetic Data Structures

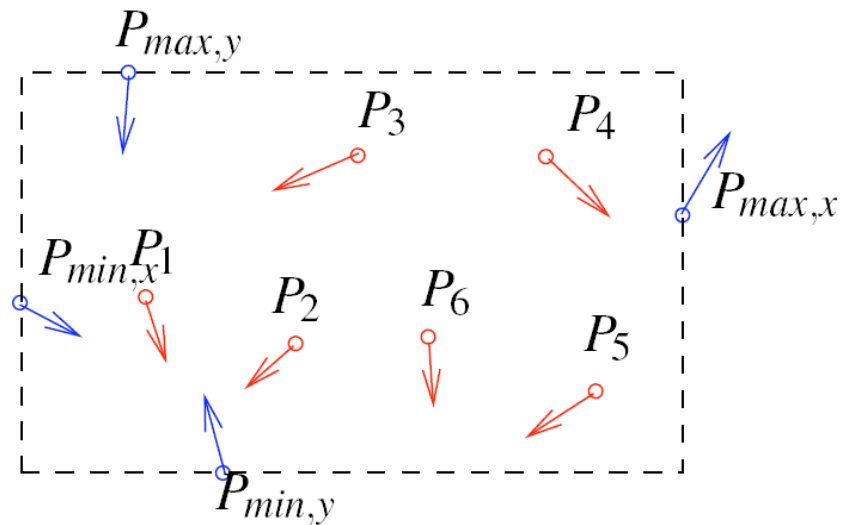
- **KDS** are a framework for designing and analyzing algorithms for objects in motion [Basch et al. 1997]
- KDS framework leads to event-based algorithms that samples the state of parts of a system only as often as necessary for a special task (e.g. a bounding box)





KDS terminology

- The task is called the **attribute**
- A KDS consists of **certificates**
- Certificate failures are called **events**
- If the attribute changes at the time of an event, the event is called **external**, otherwise **internal**





Quality of a KDS

- A KDS is **compact**, if it requires only little space
- A KDS is **responsive** if we can update it quickly in case of a certificate failure
- A KDS is **local**, if one object is involved in not too many events
- A KDS is **efficient**, if the overhead of internal events with respect to external events is reasonable



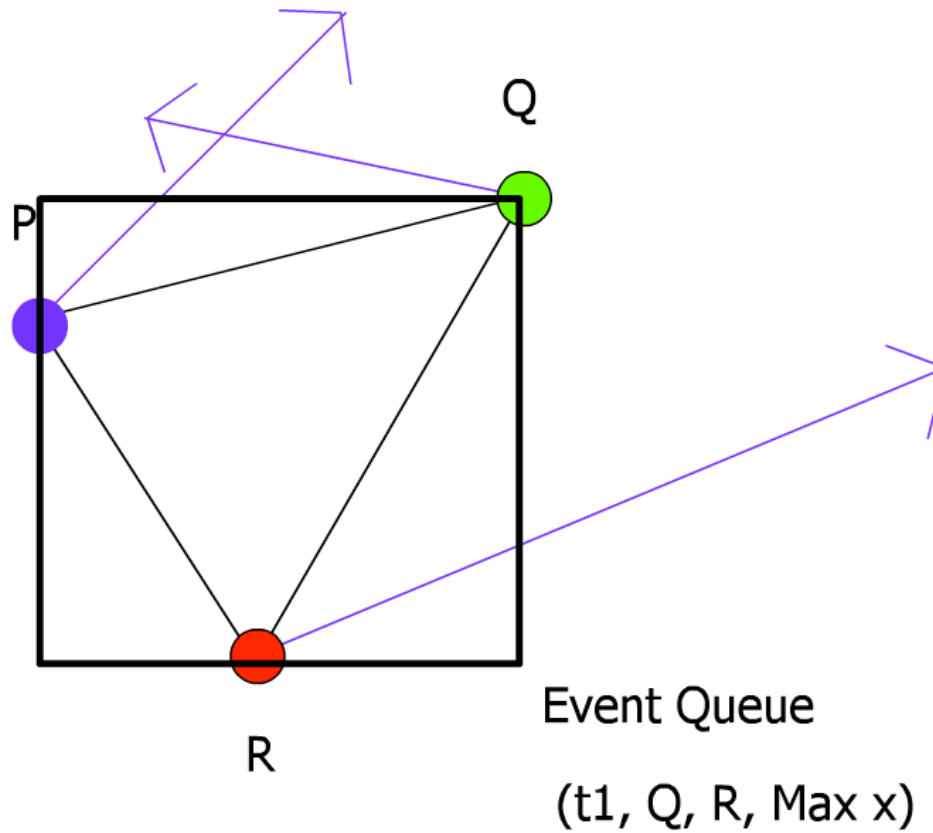
Kinetic AABB Tree

- Kinetization of the AABB tree
- Pre-processing: Build the tree by any algorithm suitable for static AABB trees
 - It is only required that the height of the BVH is logarithmic
- Store with every node the indices of those points that determine the BV
- Initialize the event queue



Kinetic AABB Tree Events

- Leaf Event

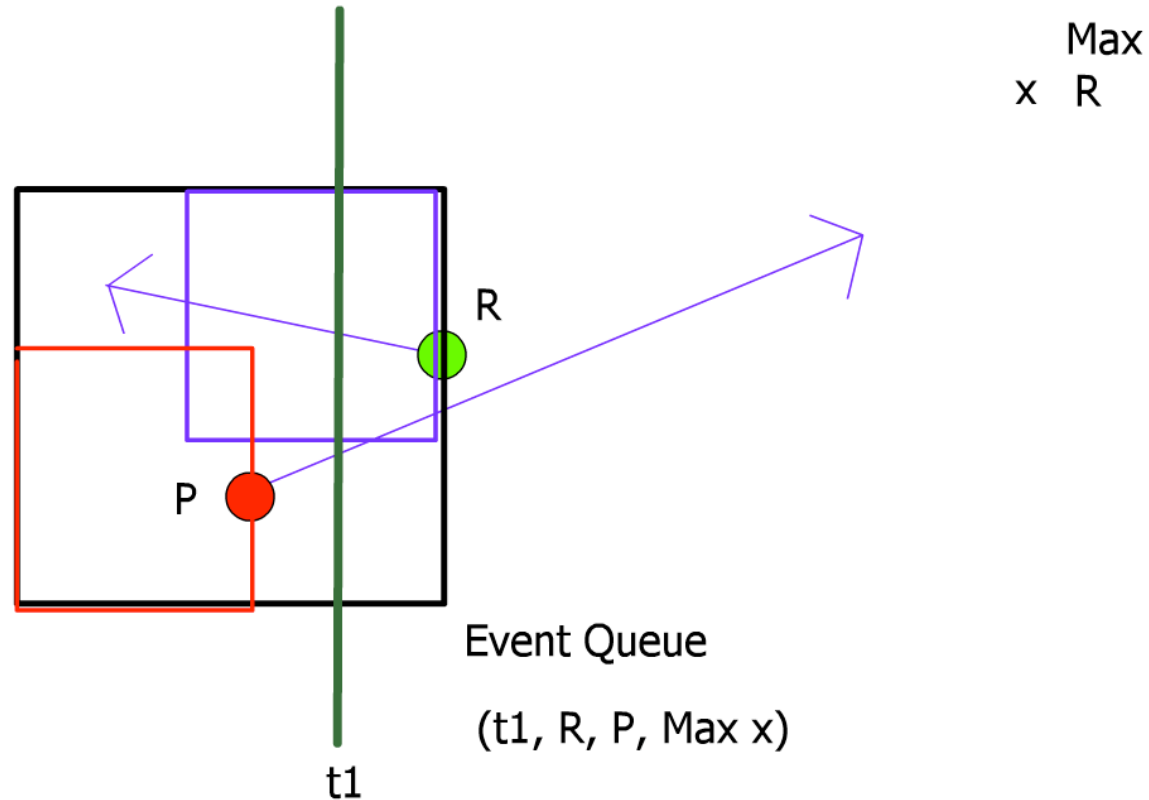


	Max
x	Q
y	Q
	Min
x	P
y	R



Kinetic AABB Tree Events

- Tree Event



- Flightplan Update Event



Simulation Loop

while simulation runs

determine time t of next rendering

$e \leftarrow$ min event in event queue

while $e.\text{timestamp} < t$

 processEvent(e)

$e \leftarrow$ min event in event queue

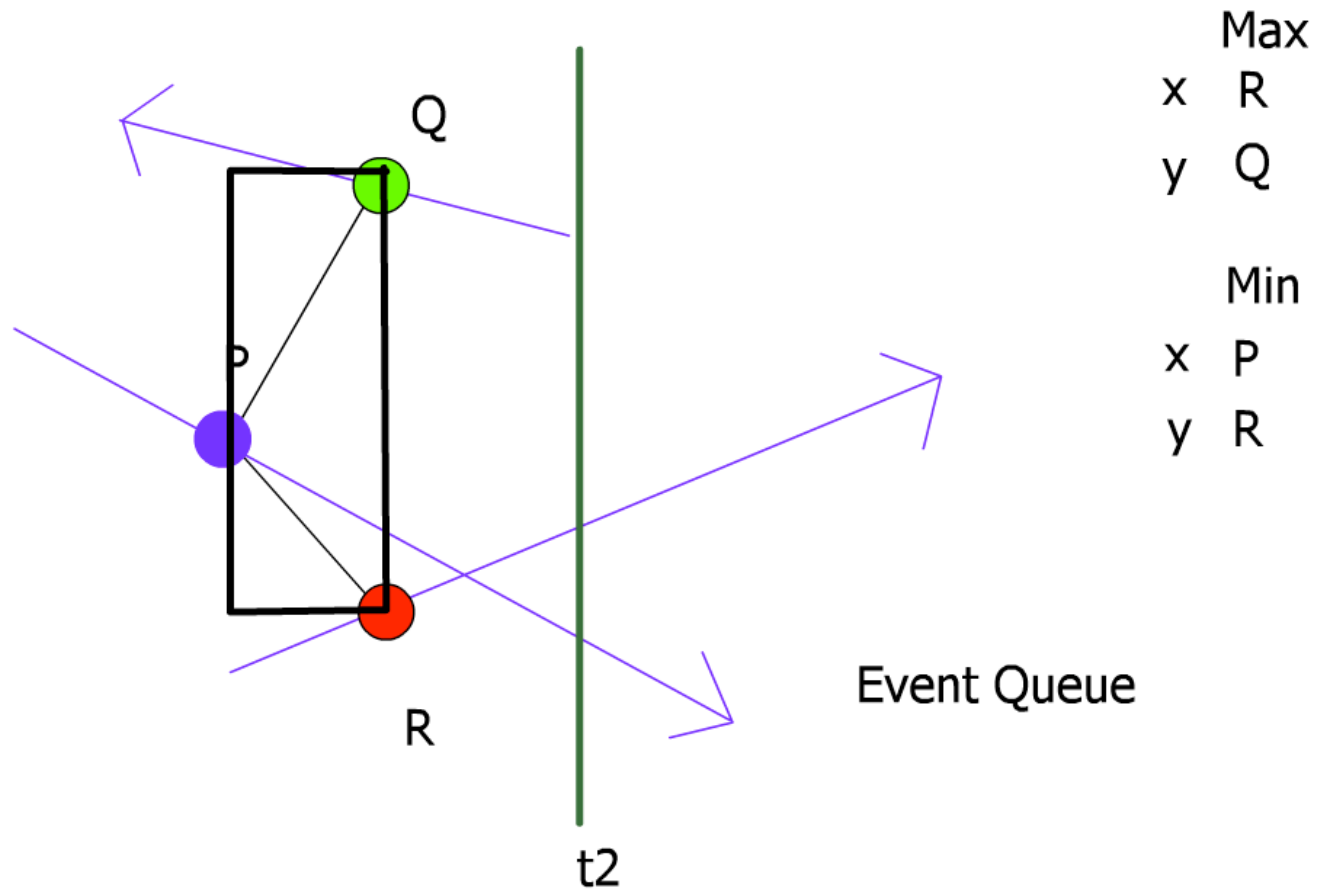
check for collisions (or cast ray, or ...)

render scene



Event Handling

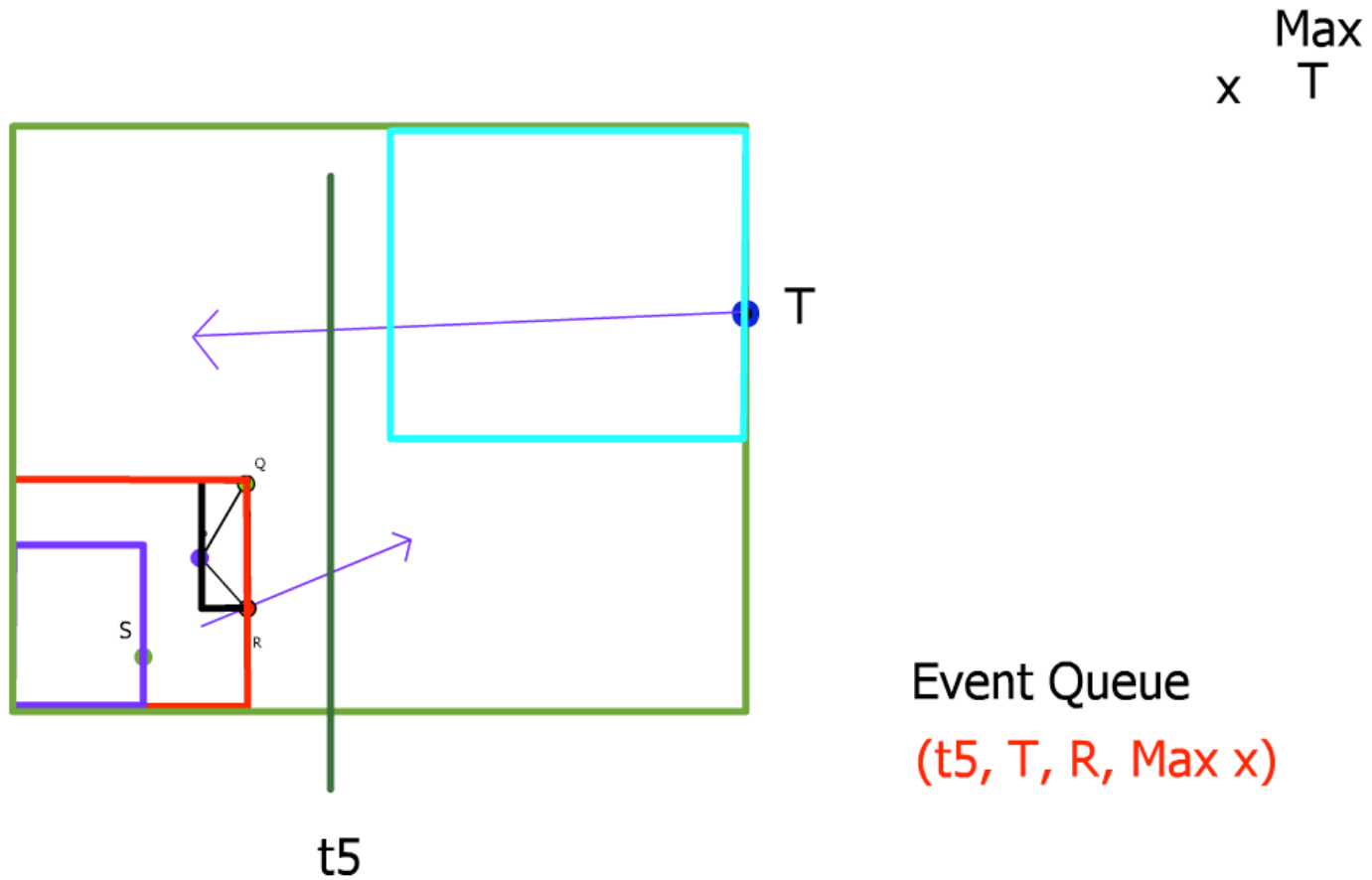
- Leaf Event





Event Handling

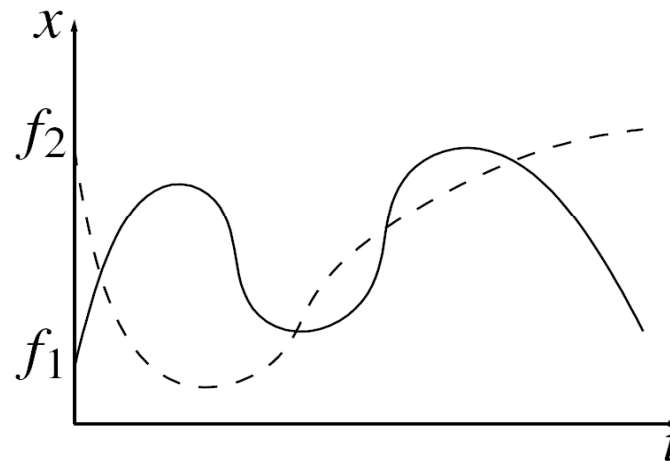
- Leaf Event cont





Analysis

- Theorem 1: The kinetic AABB tree is compact ($O(n)$), local ($O(\log n)$), responsive ($O(\log n)$) and efficient. Furthermore, the kinetic AABB tree is a valid BVH at every point of time.



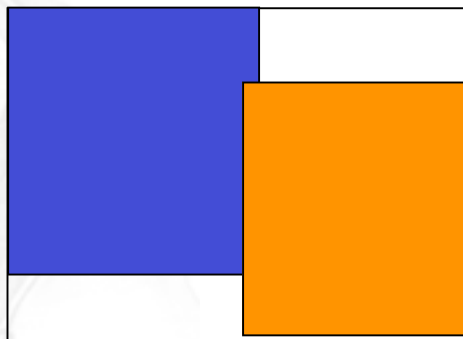
- Theorem 2: Given n vertices, we assume that each pair of flightplans intersect at most s times. Then, the total number of events is in nearly $O(n \log n)$.



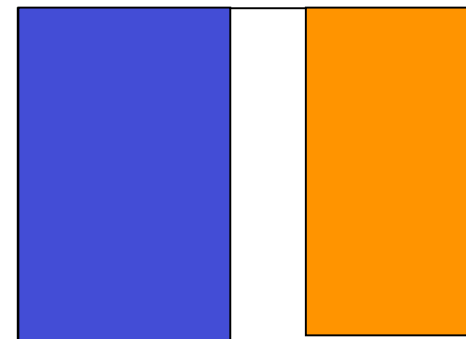
Kinetic Boxtree

- Kinetic AABB tree needs up to six events for every BV
=> The kinetic Boxtree which uses less memory than the kinetic AABB tree
- Combination of k-d tree and AABB

AABB tree

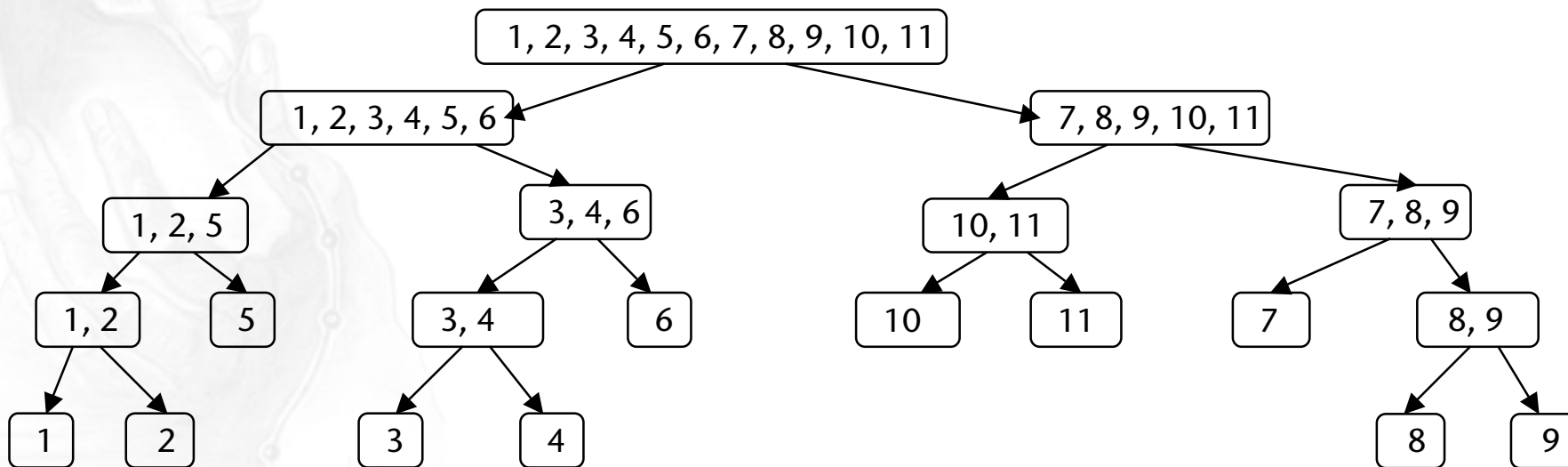
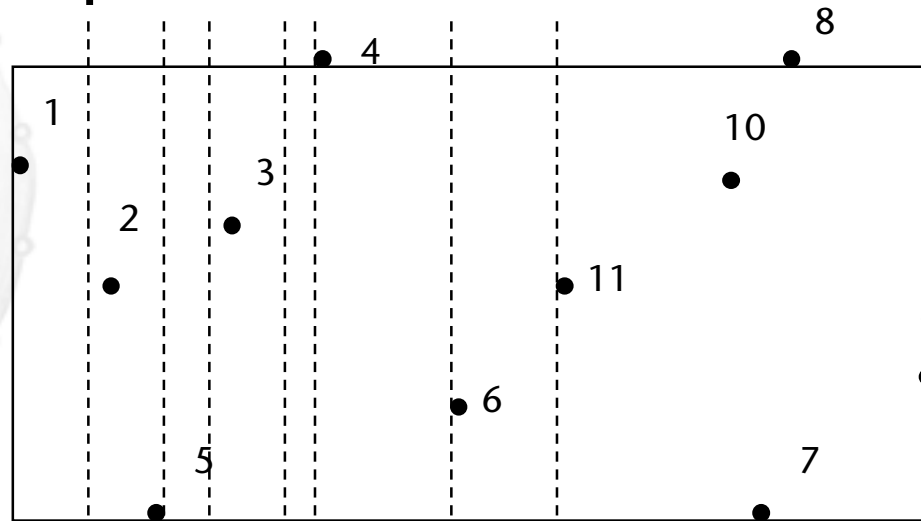


BoxTree





Event Computation





Analysis

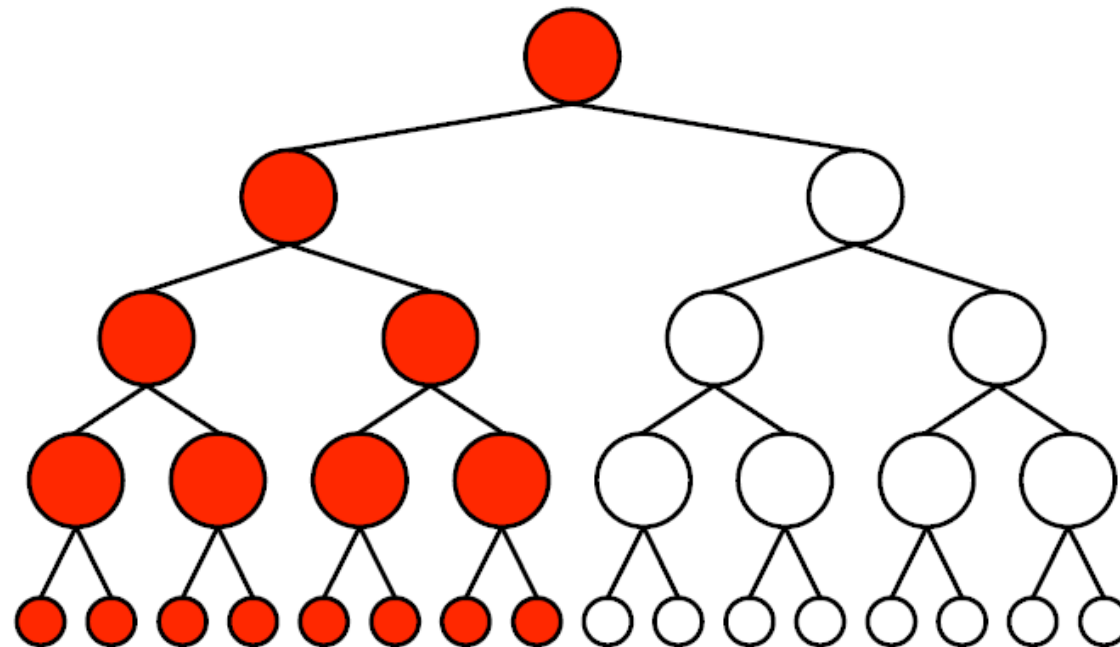
- Theorem: The kinetic BoxTree is compact, local and efficient. The responsiveness holds only in the one-dimensional case. Furthermore, the kinetic BoxTree builds a valid BVH at every point of time.

split_x

split_y

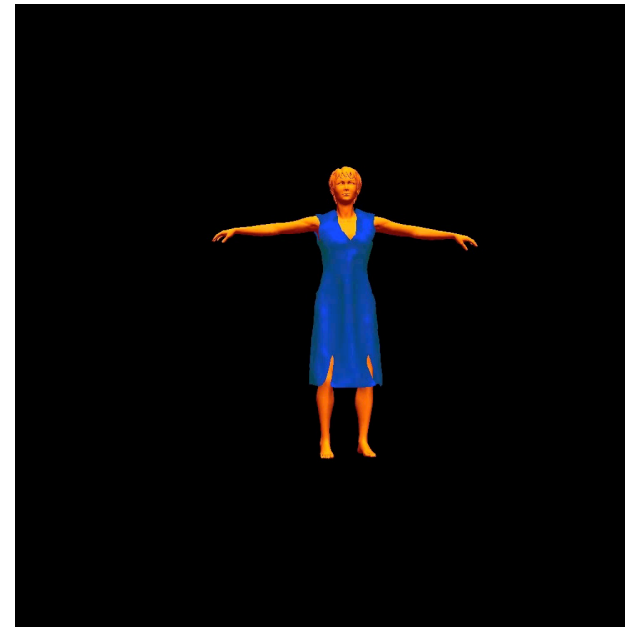
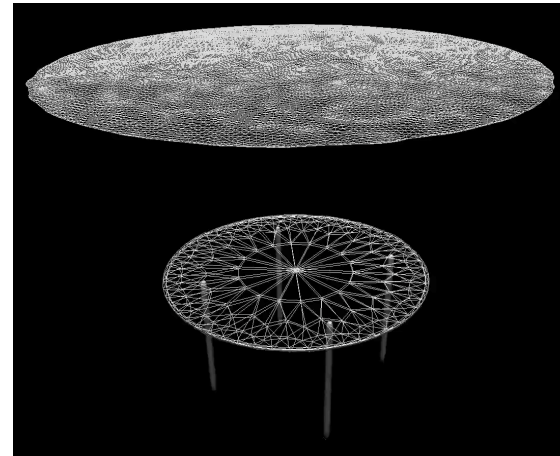
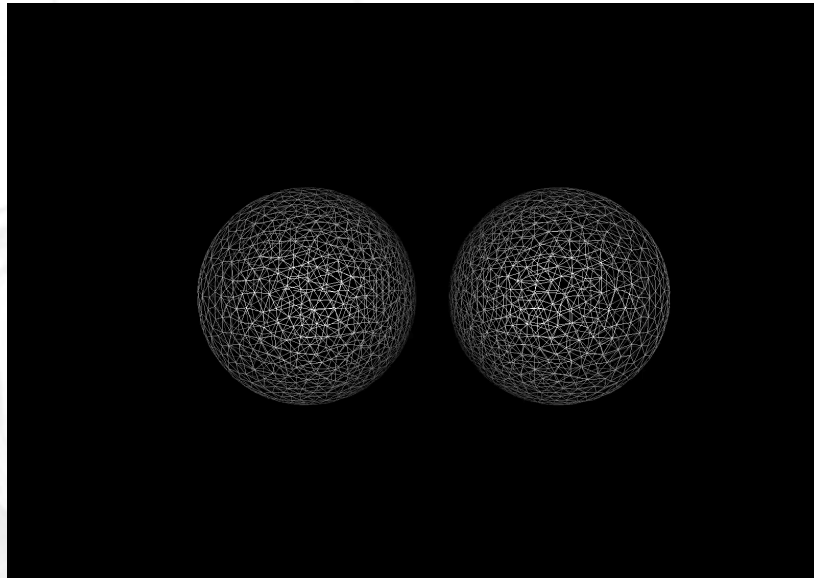
split_y

split_y



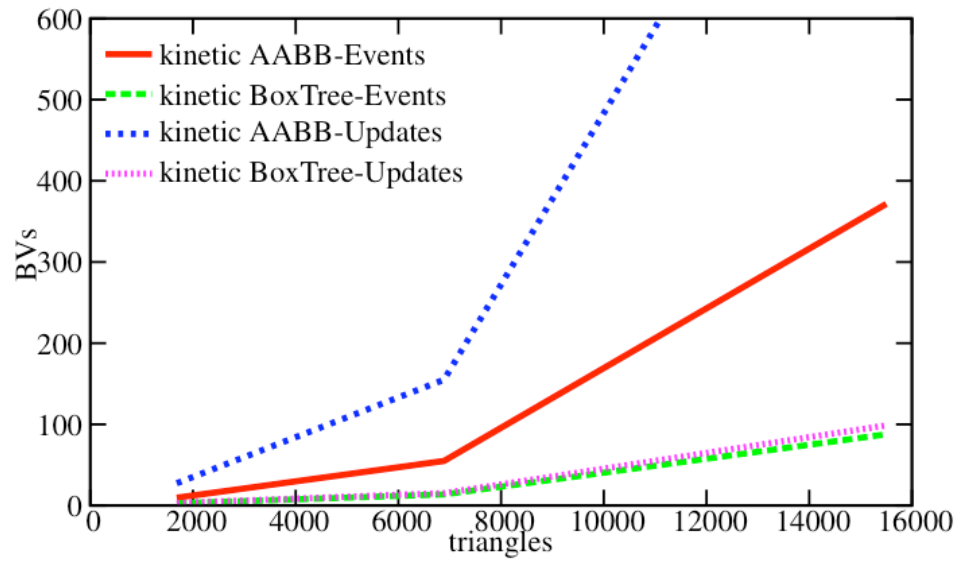


Test Scenes

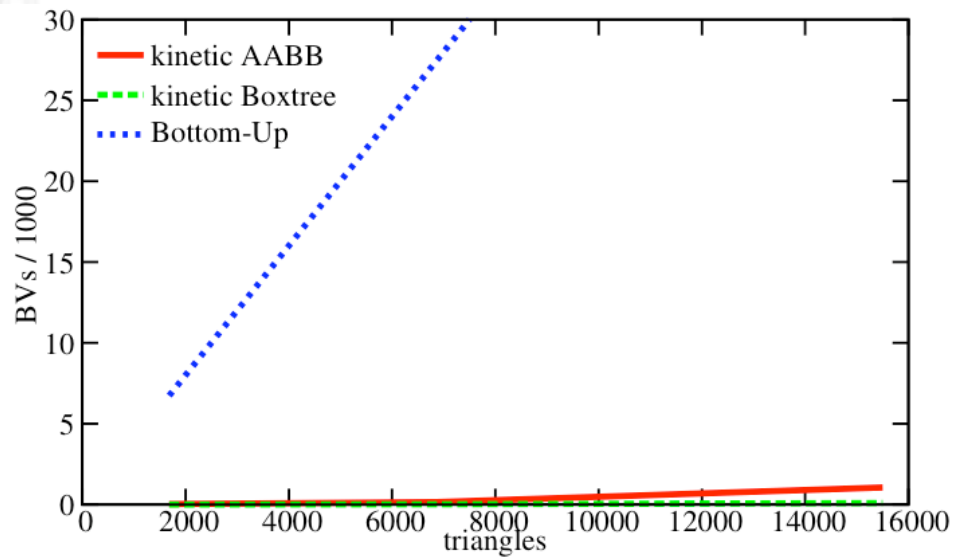
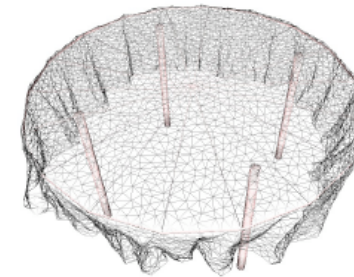




Results

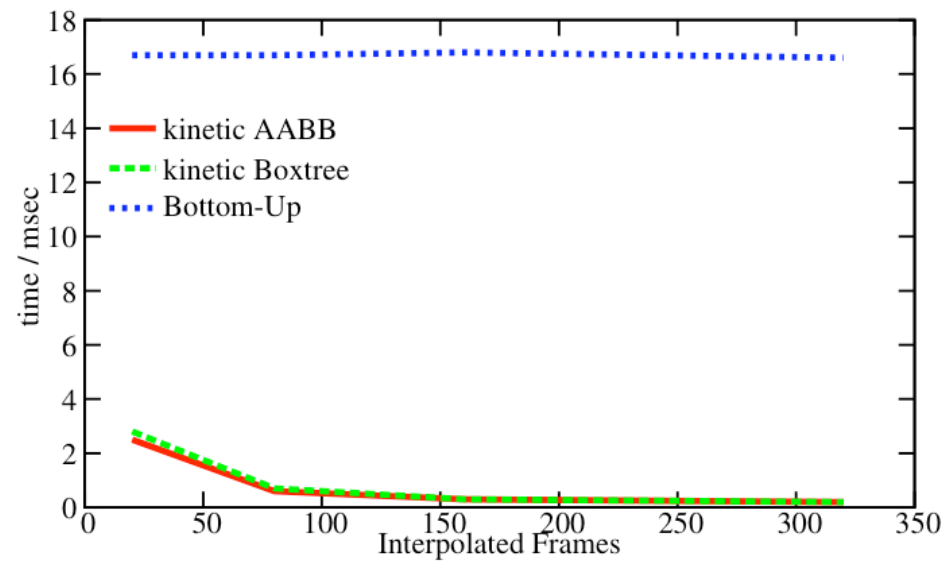
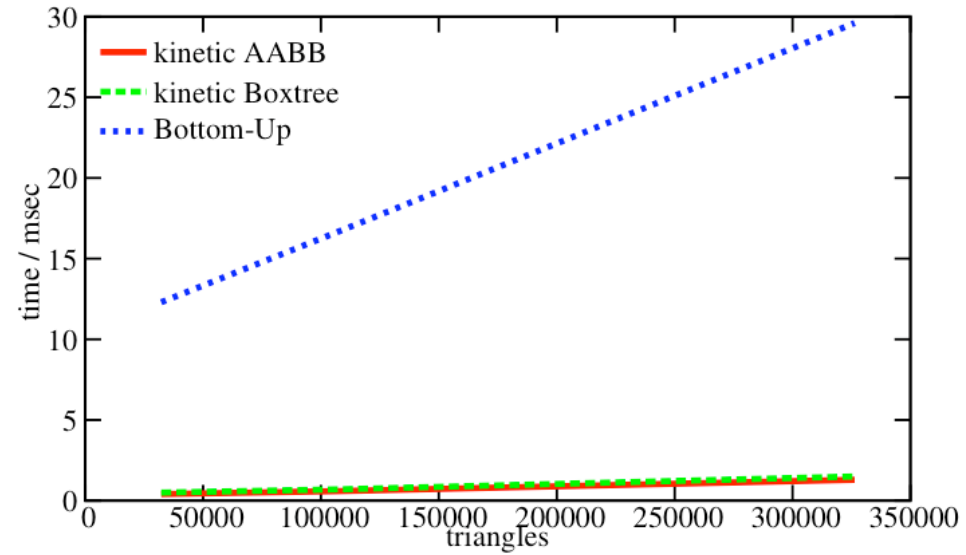


#Events and
#Updates



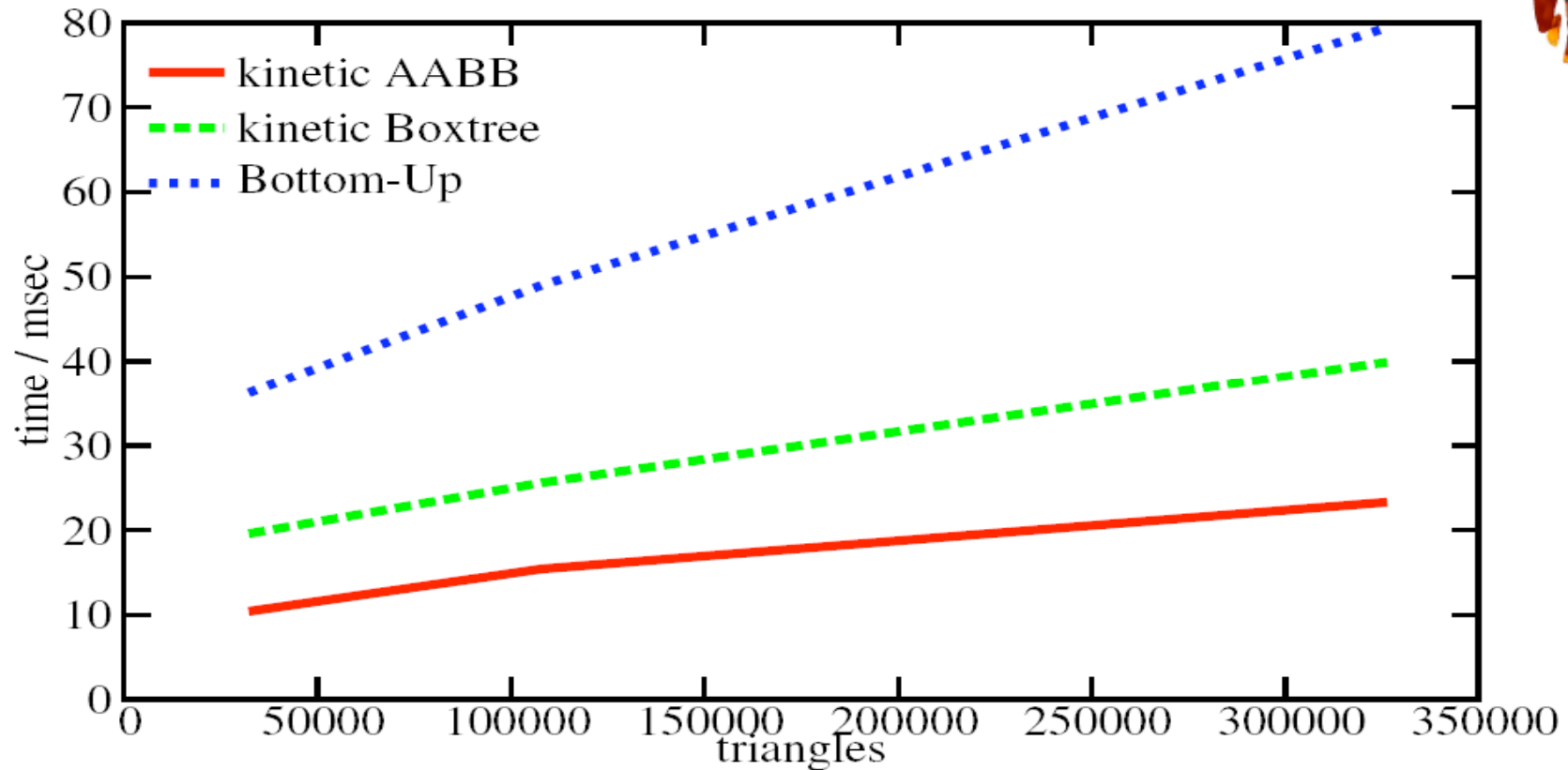
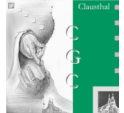


Updating time





Total time (= Update + Collision Check)





Conclusions

- Two novel data structures for updating a BVH over deformable objects fast and efficient
- Efficiency due to event based approach
- Theoretic Analysis:
 - Upper bound of nearly $O(n \log n)$ for the updates that are required to keep a BVH valid
 - Our kinetic AABB tree and kinetic BoxTree are optimal in number of updates
- Up to 20 times faster than bottom-up updates in practically relevant scenarios



Future Work

- Use our kinetic Data Structures also for continuous collision detection
- Utilize our data structures for other kinds of motion
 - physically-based simulations
 - other animation schemes
- Use our KDS for other applications like ray-tracing or occlusion culling



Acknowledgements

- Gabriel Zachmann, Clausthal University of Technology
- Johannes Mezger, University of Tübingen
- Stefan Kimmerle, University of Tübingen
- DFG grant ZA 292/1-1 ("Aktionsplan Informatik")